

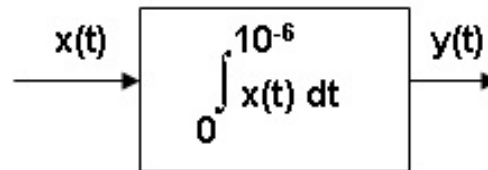
1) $m(t)$ is a 700 symbol/second random 3-ary square wave. 1/3rd of the time $m(t)$ is a +4 volt pulse, 1/3rd of the time $m(t) = 0$ volts, and 1/3rd of the time $m(t) = -4$ volts. Suppose $m(t)$ is contaminated by 3.1 watts of additive Gaussian noise $n(t)$, yielding $y(t) = m(t) + n(t)$.

[25] If $y(t)$ is input to a *single sample detector*, **compute** the P(symbol error). [Answer: 0.1707]

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2) **Find** the transfer function $H(f)$ for the system shown. **Sketch** $|H(f)|$.

[$H(f) = 10^{-6} \text{sinc}(f10^{-6}) e^{-j0.5f10^{-6}}$. You should sketch a $|\text{sinc}|$ function with peak value 10^{-6} and nulls at interger multiples of 1 MHz.]



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3) A zero mean, 1 watt noise voltage $n(t)$ is being observed on a digital oscilloscope. An average voltage $y(t)$ is formed by adding together two sampled voltages taken 0.1 seconds apart, i.e. $y(t) = [n(t) + n(t + 0.1)]/2$. From statistics you know that the two sampled voltages would be statistically independent if drawn from a wideband noise signal and therefore the power of the average $y(t)$ would be the power of $n(t)/2$, or 1/2 watt. However in our case the noise waveform $n(t)$ is narrow band with autocorrelation $R_{NN}(\tau) = e^{-|\tau|}$.

[25] Given this autocorrelation, **compute** the power of $y(t)$. [0.9524 watts]

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4) Your boss wants you to design a 10 Mbps wireless system, yet only use 40 KHz of RF bandwidth.

4a) [10] What would be the maximum symbol rate you would expect to be able to successfully move through this amount (40 KHz) of bandwidth? Explain.

[From notes and p.524 of text, 40 K symbols/sec to maybe 56 K to 72 K symbols/sec]



4b) [5] An M-Ary signaling scheme is going to have to be used. What value of M will this system require? Explain. [Each symbol needs to represent somewhere between 138.9 to 250 bits, depending on the baud rate, so need $M \geq 6.502 \cdot 10^{41}$ to $1.809 \cdot 10^{75}$. This doesn't look too practical.]

4c) [10] What SNR will you need? Explain. [Using Channel Capacity equation, and assuming a 40 KHz bandwidth, $1.809 \cdot 10^{75}$].

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